

Ship Hull Optimization in Calm Water and Moderate Sea States

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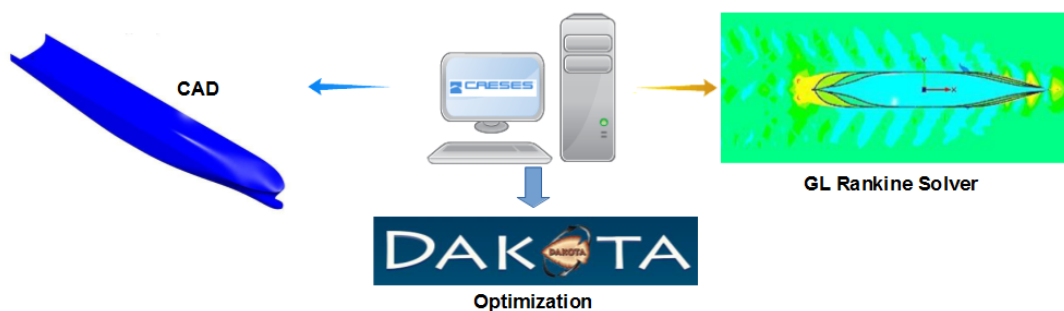
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Dr. -Ing. Stefan Harries, FRIENDSHIP SYSTEM AG

OBJECTIVES

FRIENDSHIP SYSTEMS – Computer Aided Engineering platform **CAESES**

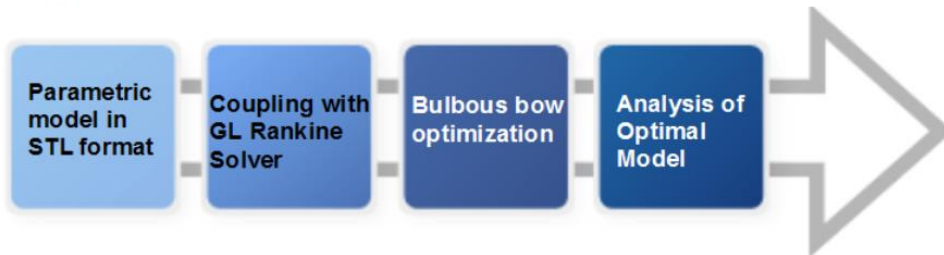
PerSee - “Performance von Schiffen im Seegang”(Performance of ships in sea-states)

- **Hydrodynamic optimization of bulbous bow** for energy efficiency and performance of ships in seas.

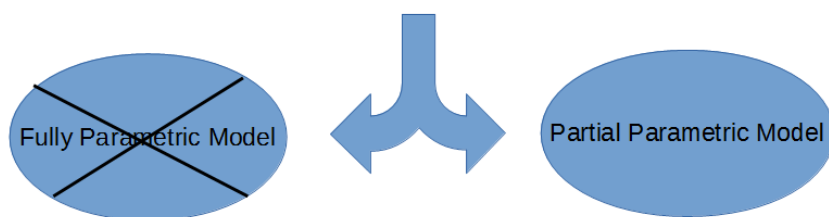


Main Dimensions of DTC (Duisburg Test Case) Container Vessel

Length Between Perpendiculars	L_{pp} [m]	355.0
Waterline Breadth	B_w [m]	51.0
Design Draft Amidships	T_{Dm} [m]	14.5
Moulded Depth	D [m]	32.0
Block Coefficient	C_B [-]	0.661
Volume Displacement	V [m ³]	173467.0
wetted surface under waterline without appendages	S_w [m ²]	22032.0



Parametric model in STL format

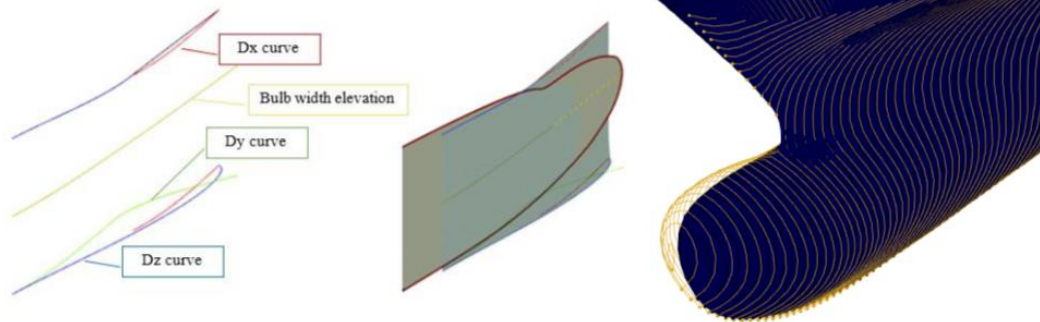


- Can be modeled from sketch.
- Entire shape defined by parameters.
- Very powerful for optimization processes.
- Too much of computational time and cost.

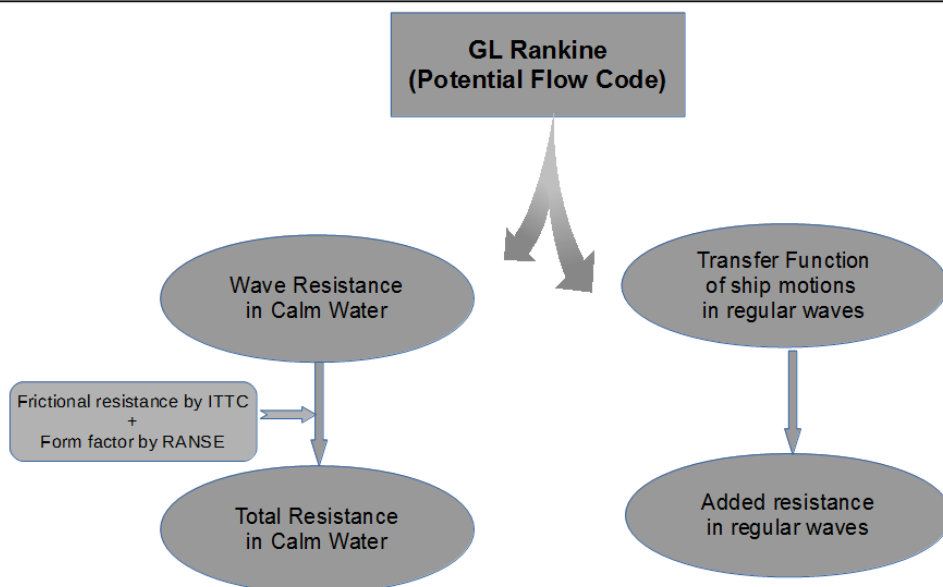
- Local modification can be defined by few parameters.
- Quick and easy to set up.
- Does not look much different from the initial design.
- Free form deformation and shift transformation

PARTIAL PARAMETRIC MODEL

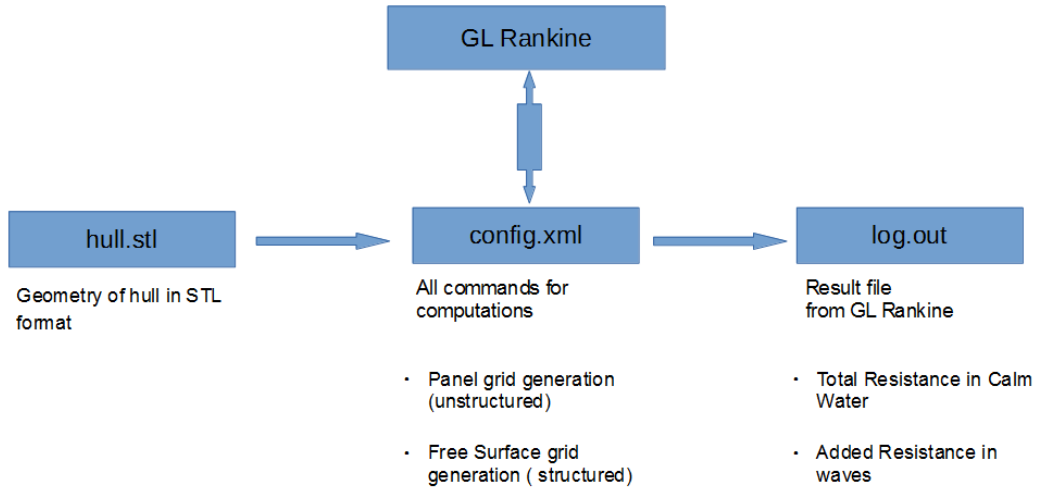
- Initial Geometry in STL format
- Apply Surface delta-shift with 5 design variables



GL RANKINE SOLVER

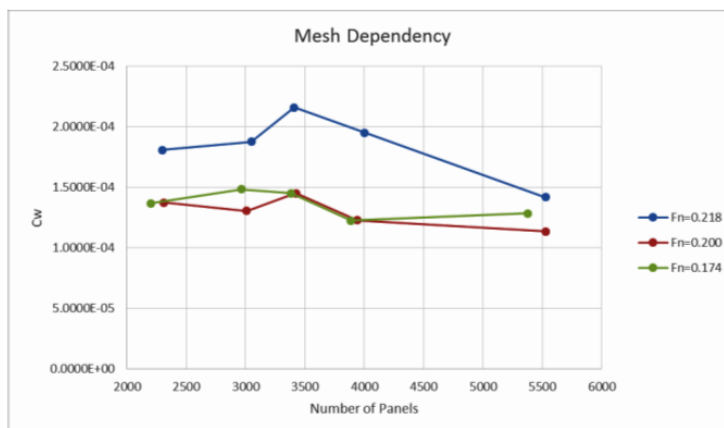


USE OF GL RANKINE



MESH CONVERGENCE STUDY

Before starting optimization processes, mesh convergence study was carried out by changing different mesh parameters for hull panel generation.

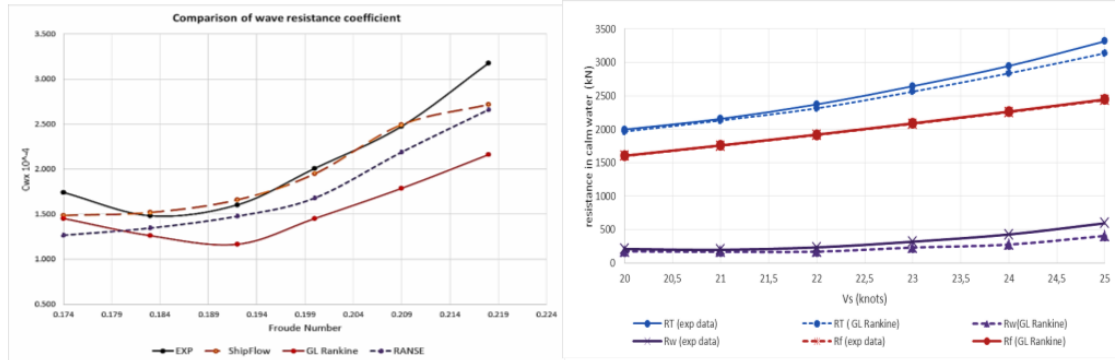


Final Mesh Chosen:

Laft, Lbow = 0.7% of LPP
= 2.5 m

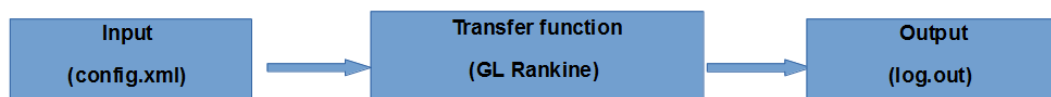
Lmid = 1% of LPP
= 4 m

- Comparison of resistance in calm water



Form factor = $k = 0.117$
 (obtained from University of Duisburg)

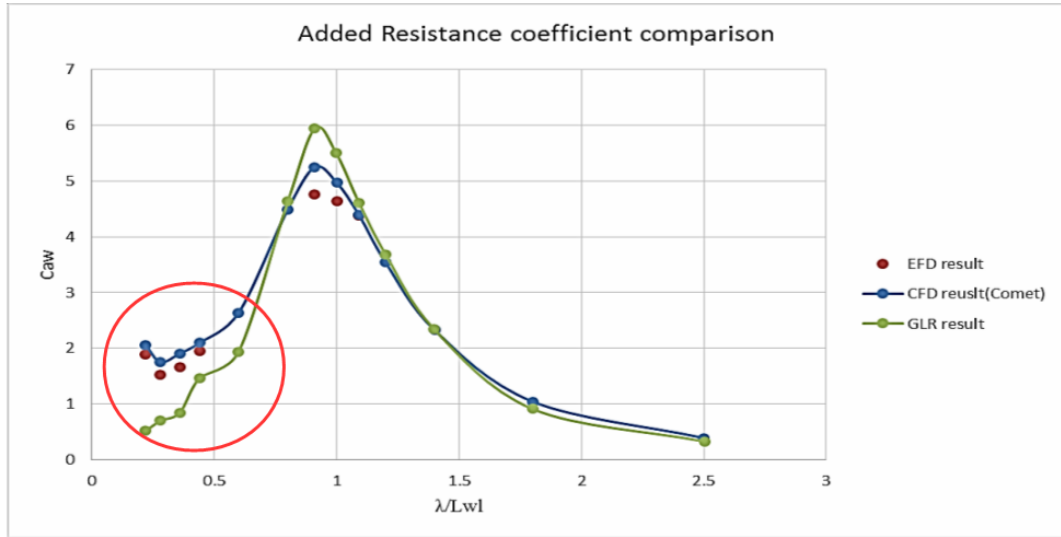
- Comparison of added resistance coefficient



- Ship hull information
- Result of calm water conditions
- Range of wave frequencies and directions

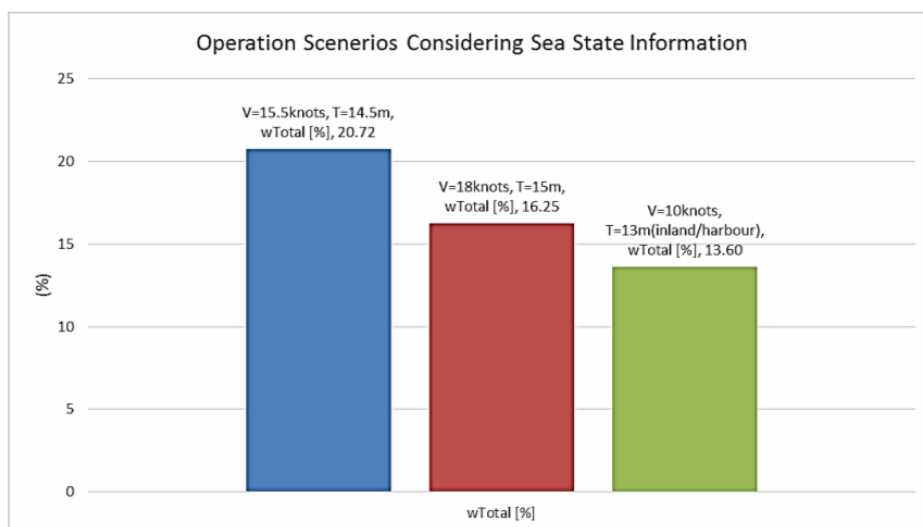
- Motions and responses in waves
- Average drift forces and moments

- Comparison of added resistance coefficient



OPTIMIZATION PROCESS

Case Study



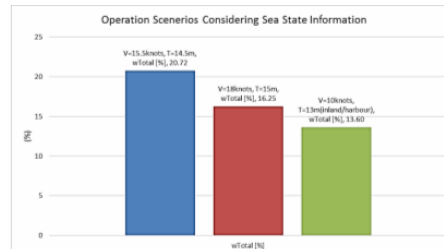
OPTIMIZATION PROCESS

Case Study

For Optimization,

- $V_1 = 15.5$ knots
- $V_2 = 18.0$ knots

at the design draft of $T=14.5$ m are to be used.



Optimization processes

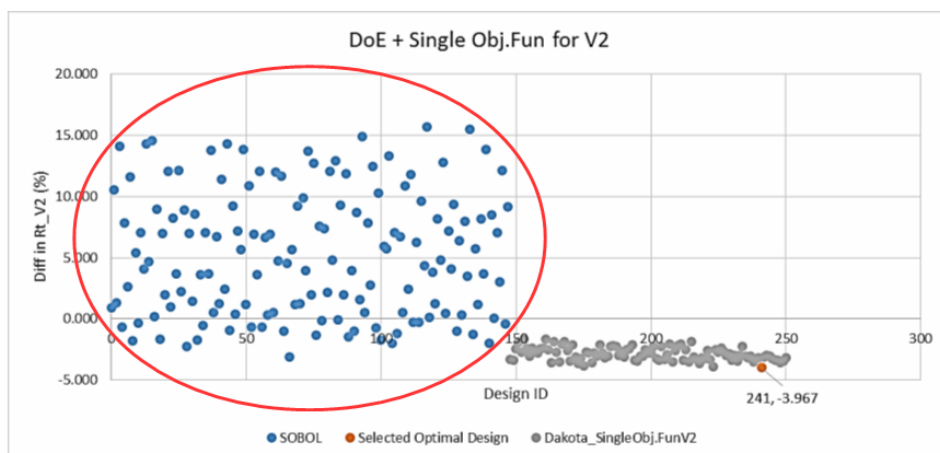
- Single objective optimization for each operation condition
- Single objective optimization with weighted functions
- Multi-objective optimization

More than 1000 CFD runs

OPTIMIZATION PROCESS

How the single objective optimization was performed?

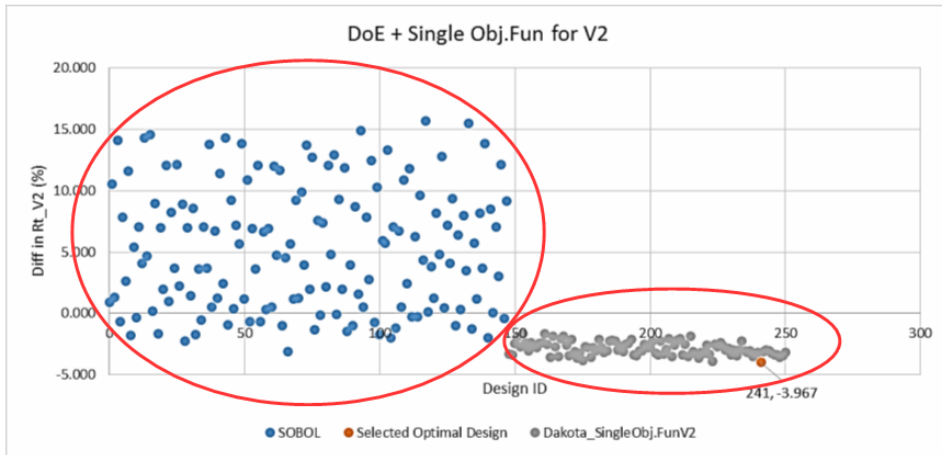
DoE



OPTIMIZATION PROCESS


How the single objective optimization was performed?

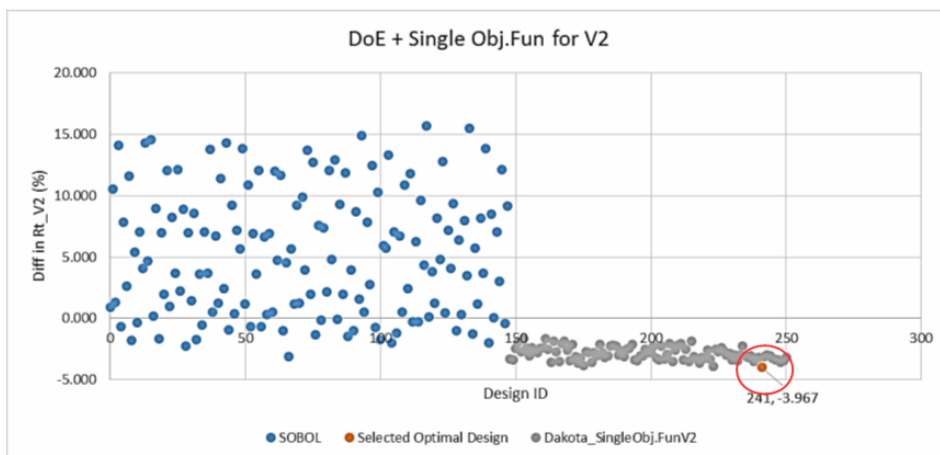
DoE + Dakota Surrogate Based local optimization



OPTIMIZATION PROCESS

How the single objective optimization was performed?

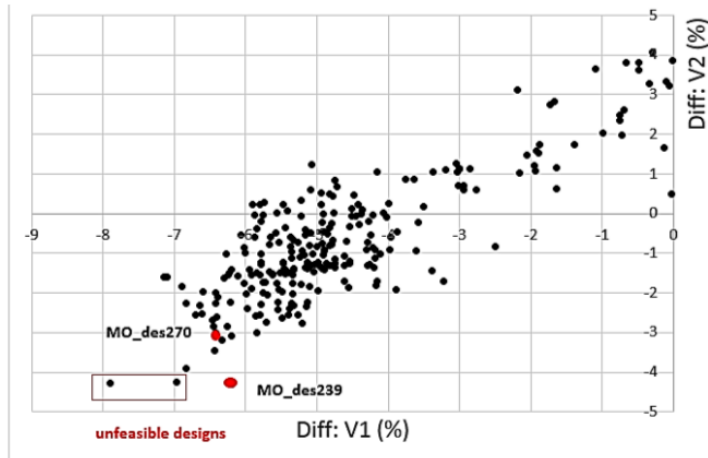
DoE + Dakota Surrogate Based local optimization  **Optimal Design**



OPTIMIZATION PROCESS

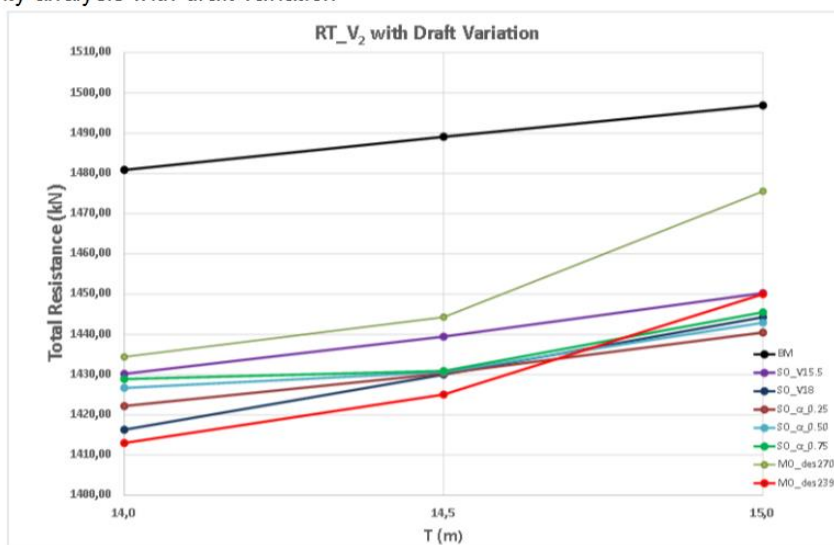
How the multi-objective optimization was performed?

Dakota Surrogate Based global optimization  Optimal Design



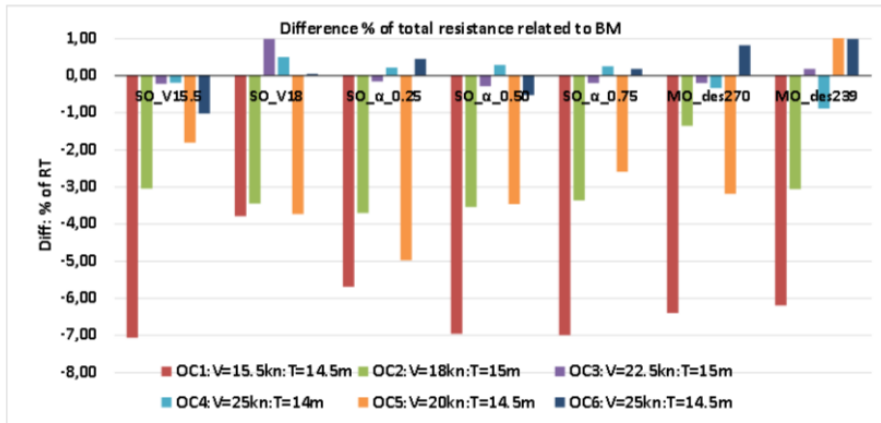
OPTIMIZATION PROCESS

- Sensitivity analysis with draft variation



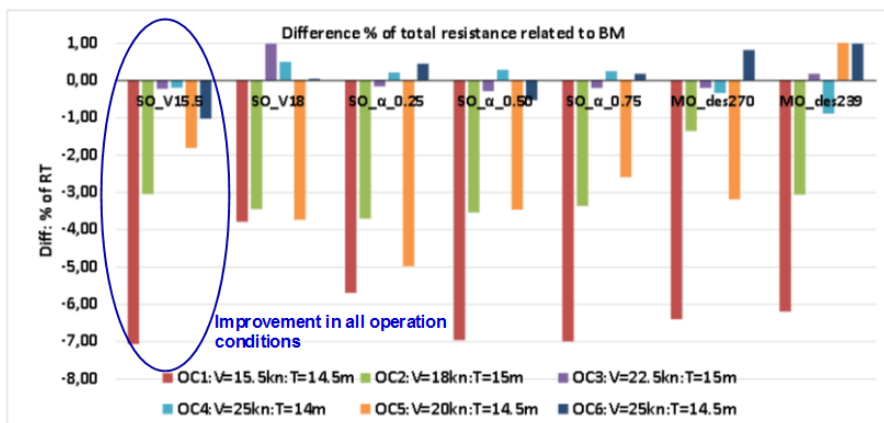
OPTIMIZATION PROCESS

- Sensitivity analysis with draft variation
- Analysis at different operation conditions



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- Sensitivity analysis with draft variation
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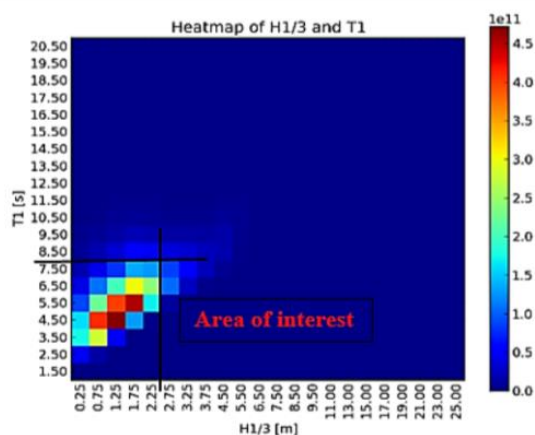


Analysis for Added Wave Resistance

$$R_{AW} = 2 \times \int_0^\infty \frac{R_{wave}(\omega, Vs)}{\zeta_A^2} S_f(\omega) d\omega$$

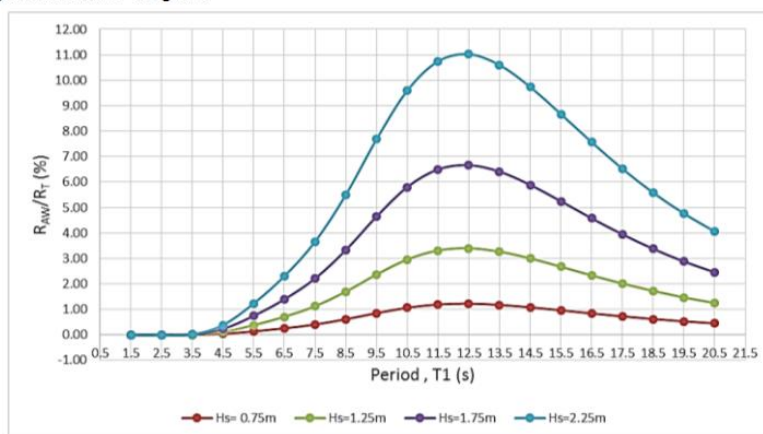
$R_{wave}(\omega, Vs) / \zeta_A^2$ = quadratic transfer function of the mean longitudinal drift force obtained from GL Rankine

$S_f(\omega)$ = frequency spectrum, for ocean waves modified Pierson-Moskowitz type



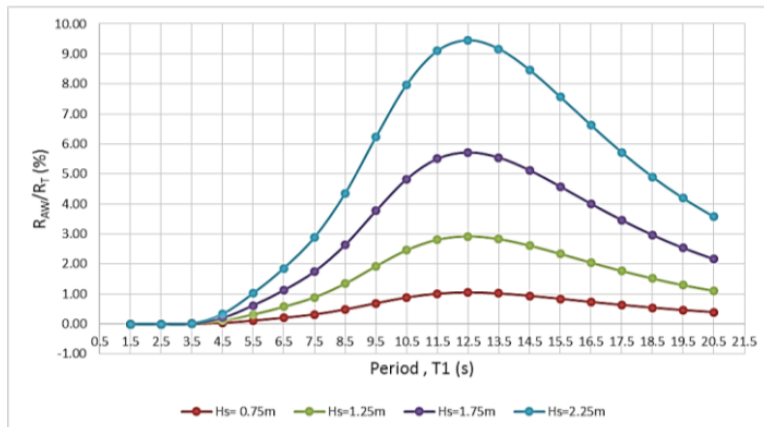
Analysis for Added Wave Resistance

The result of added wave resistance due to head waves for the initial model can be seen for different wave periods and significant wave heights.



Added wave resistance due to head waves (V = 15.5 knots, T=14.5m)

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Added wave resistance due to head waves (V = 18 knots, T=14.5m)

Comparison of Optimal Model with base model

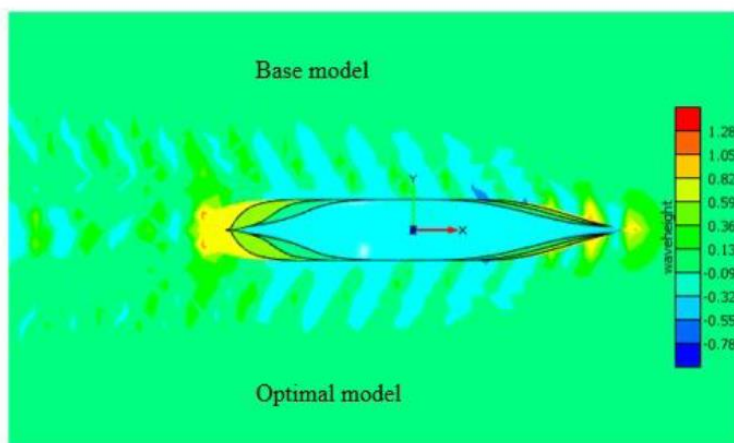
- each calm water combination is added its most frequent sea state, which has the advantage of not increasing the number of combinations of optimization process.
- Wave scenario data for two operation conditions

Operation Condition	Speed , Vs	Draft , T	Peak Period, T _p	Significant Wave Height, H1/3
(-)	(knots)	(m)	(sec)	(m)
OC1	15.5	14.5	12.5	1.25
OC2	18	15.0	12.5	1.75

Analysis of Optimal Model

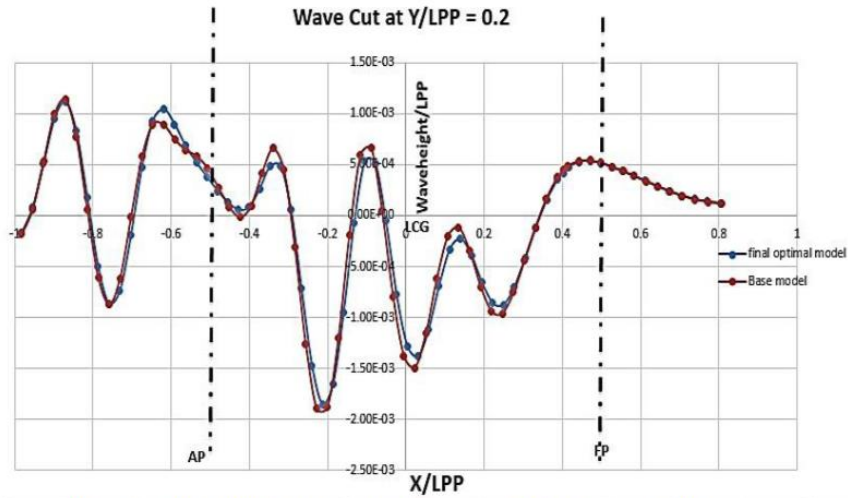
		Calm Water Resistance	Added Wave Resistance	Total Resistance
Designs		[kN]	[kN]	[kN]
BM	15.5 knots	1190	40.5	1230.5
	18 knots	1489	87	1576
SO_V15.5	15.5 knots	1106	39.4	1145.4
	Diff: from BM	-7.06%	-2.72%	-6.92%
	18 knots	1439	87.5	1526.5
	Diff: from BM	-3.36%	0.575%	-3.14%

Analysis of Optimal Model



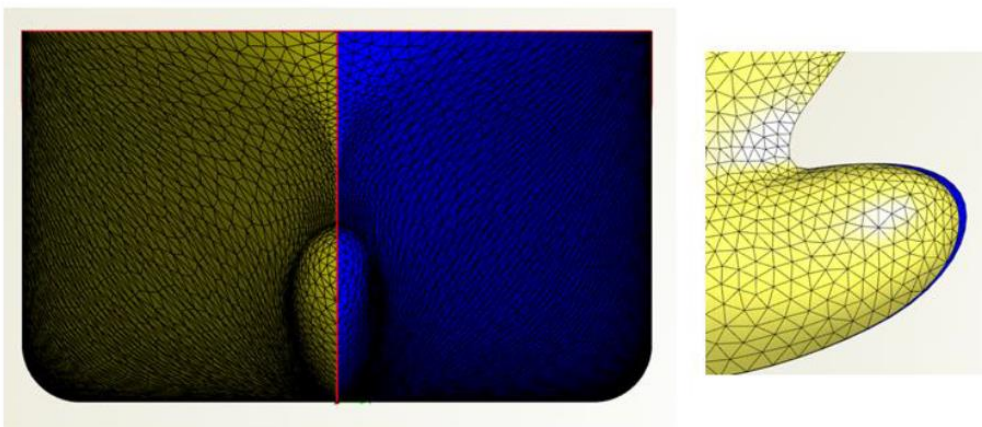
Wave pattern of the optimal and base hull for m (V=15.5knots, T=14.5m)

Analysis of Optimal Model



Wave Cut at Y/LPP=0.2 for Base and Optimum model (V=15.5knots, T=14.5m)

Analysis of Optimal Model



Base model and final optimal model comparison

CONCLUSION

- Parametric modeling and choice of design variables
- Coupling of GL Rankine in-house solver with CAESES software
- Different optimization approaches with CAESES/Dakota toolkit and check of sensitivity